

Lesson 2.2 – Static & Kinetic Friction

Unit 2: Dynamics and Equilibrium

Static Friction:

Recall F_N (the normal force): *the component force perpendicular to the surface*

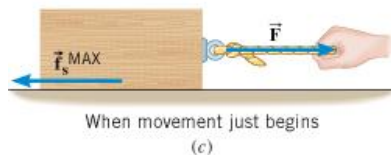
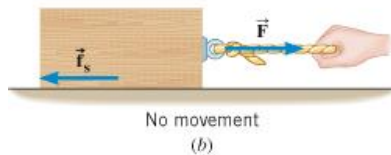
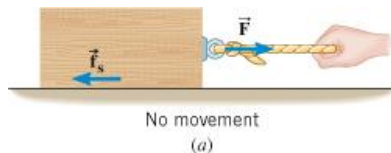
Frictional Force: A force parallel to a surface that prevents motion when an object is at rest.

List some situations you can think of where engineering efforts attempt to:

Reduce Friction	Increase Friction

What causes friction? ([simulation](#)) try this after talking about surfaces

Surfaces touch only at tiny microscopic points → intermolecular attraction forms tiny “cold welds.”



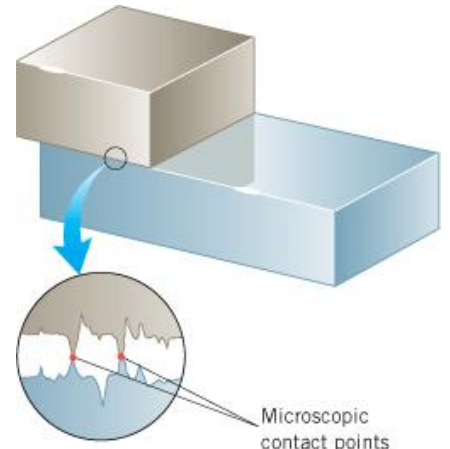
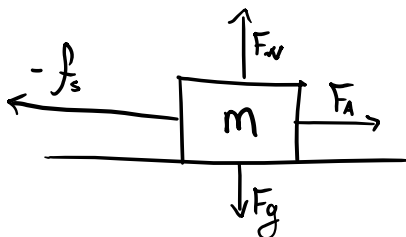
Friction is self-adjusting:

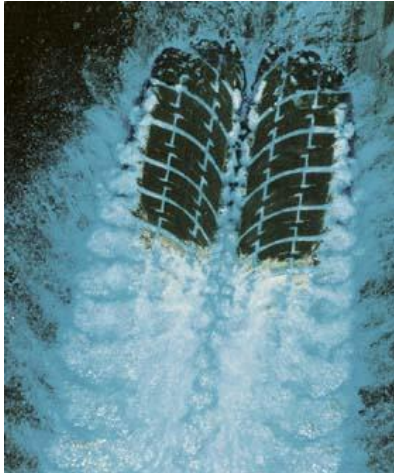
Static friction matches the applied force up to a maximum value (before moving).

Maximum static friction:

$$f_s^{\max} = \mu_s F_N$$

- Depends on the normal force.
- Coefficient is unitless (ratio of $f_s:F_N$)
- Independent of surface area
- If $f_s^{\max}$ is exceeded, motion begins
- $f_s \leq f_s^{\max}$ (more normal force = more friction)





Why do you think tire engineers put these channels (tread) in the rubber?

A: to collect and divert water away from the regions of contact to increase traction.

What are F1 drivers doing when the swerve back and forth and spin their wheels before a race?

A: heating them up increases f_s^{max} .

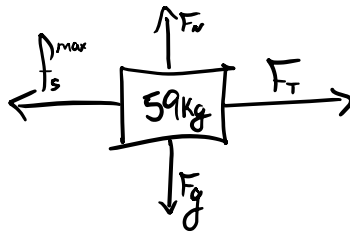
This photo, shot from underneath a transparent surface, shows a tire rolling under wet conditions.

Example 1: A 59-kg skier stands at rest on level snow about to get on the tow rope. If $\mu_s = 0.14$, what is the maximum horizontal force a tow rope can apply without moving her?

$$m = 59 \text{ kg}$$

$$\mu_s = 0.14$$

$$g = 9.8 \text{ m/s}^2$$



$$f_s^{max} = \mu_s F_N$$

$$f_s^{max} = \mu_s mg$$

$$= 0.14(59 \text{ kg})(9.8 \text{ m/s}^2)$$

$$= 81 \text{ N}$$

$$\vec{F}_{\text{net},y} = m\vec{a}$$

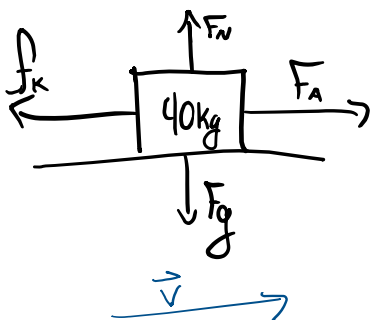
$$F_N - F_g = 0$$

$$F_N = F_g = mg$$

Kinetic Friction:

- Acts when surfaces are sliding (in motion)
- Opposes the direction of motion
- Less than f_s^{max}
- Independent of contact area
- Independent of speed (at low speeds)
- Proportional to the normal force

Example 2: A 40. Kg box is pushed with constant velocity over a surface with $\mu_k = 0.15$. What force is being applied?



$$F_{\text{net},y} = m\vec{a} = 0$$

$$\therefore F_N = F_g = mg$$

$$F_{\text{net},x} = m\vec{a} = 0$$

$$F_A - f_k = m(0) = 0$$

$$F_A = \mu_k F_N = \mu_k mg$$

$$F_A = 0.15(40)(9.8)$$

$$= 58.8 \text{ N or } 59 \text{ N}$$