

Unit 1: Sequences & Series

1.0 Systems of Equations [Review]

Ex. At a dance recital, there were 220 people. Tickets cost \$9 for an adult and \$6 for a child. The dance collected \$1614 in ticket sales. How many adults and how many children attended the recital?

Let $a = \text{adult}$
 $c = \text{children}$

$$a + c = 220 \Rightarrow \boxed{c = 220 - a} \quad \text{Substitution}$$

$$9a + 6c = 1614$$

$$9a + 6(220 - a) = 1614$$

$$9a + 1320 - 6a = 1614$$

$$3a + 1320 = 1614$$

$$3a = 294$$

$$a = 98$$

$$c = 220 - 98 \\ = 122$$

98 adults & 122 children

Ex. Connor downloaded two orders of games and songs. The first order consisted of five games and four songs for \$26. The second order consisted of three games and two songs for \$15. All games cost the same amount and all songs cost the same amount. Write a system of linear equations. Then, determine the cost of one song and the cost of one game.

Let $m = \text{cost/song}$
 $g = \text{cost/game}$

$$5g + 4m = 26 \rightarrow 5g + 4m = 26$$

$$3g + 2m = 15 \xrightarrow{\times 2} - 6g + 4m = 30$$

$$3\left(\frac{4}{12}\right) + 2m = 15$$

$$2m = 3$$

$$m = \frac{3}{2} = 1.5$$

Cost of a song is \$1.50 and cost of a game is \$4

Practice: Worksheet 167/169 – alternate between substitution (when appropriate) and elimination
 – all work on separate paper